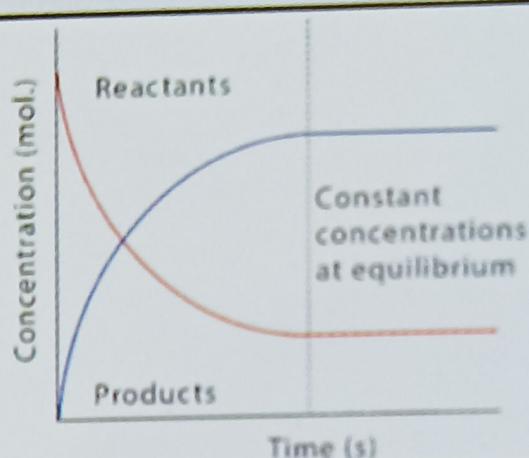


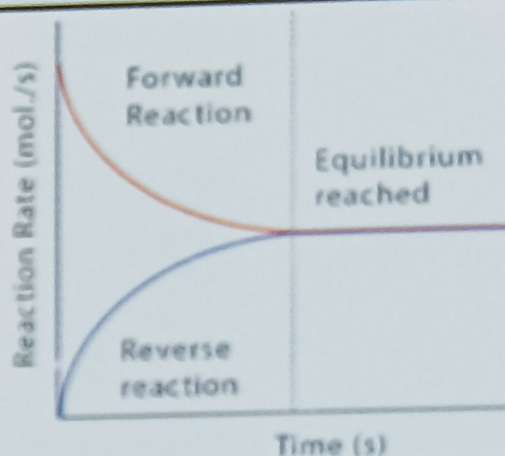
CHEMICAL EQUILIBRIUM

Graphical Analysis

Concentration vs time



Rate vs Time



For a reaction, $mA + nB \rightleftharpoons pC + qD$

$$k_f = [C]^p[D]^q \text{ and } k_b = [A]^m[B]^n$$

k_f = rate constant of forward reaction

k_b = rate of backward reaction

At Equilibrium, $k_f = k_b$ and $k_f / k_b = K_{eq}$



$$K_c = \frac{[C]^p[D]^q}{[A]^m[B]^n}$$

[] = represents
concentration

$$K_p = \frac{(p_C)^p(p_D)^q}{(p_A)^m(p_B)^n}$$

p = partial Pressure
also, $p = x \times P_T$



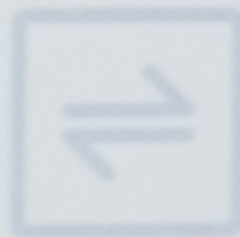
Relation between K_c , K_p , K_x

$$K_p = K_c(RT)^{\Delta n_g} = (P_T)^{\Delta n_g} K_x$$

Case I : $n_p > n_r$; $\Delta n_g > 0$; $K_p > K_c$

Case II : $n_p < n_r$; $\Delta n_g < 0$; $K_p < K_c$

Case III : $n_p = n_r$; $\Delta n_g = 0$; $K_p = K_c$



K also confirms the stability of Reactants and Products

$K \uparrow$ = Products Stable

$K \downarrow$ = Reactants Stable

Factors Affecting K

- Temperature (According to Van't Hoff equation)

$$\log \left(\frac{K_2}{K_1} \right) = \frac{\Delta H^\circ}{2.303R} \left[\frac{1}{T_1} - \frac{1}{T_2} \right] \quad (\text{Here } T_2 > T_1)$$

$\Delta H = +ve$ (Endothermic); $K_2 > K_1$

$\Delta H = -ve$ (Exothermic) ; $K_1 > K_2$

- Stoichiometry of a reaction and representation

For a reaction $aA + bB \rightleftharpoons cC + dD$, Eq. Constant = K

1. Multiply reaction by 2 : K^2

2. Divide Reaction by 2 : $K^{1/2}$

3. Reverse the reaction : $1/K$

4. Add Equation with Eq. constant K_2 = $K \cdot K_2$

5. Subtract Equation with Eq. constant K_2 = K/K_2



Reaction Quotient

For a reaction $aA + bB \rightleftharpoons cC + dD$, Eqm Constant : K

At a stage other than eqm.

$$Q_c = \frac{[C]^c[D]^d}{[A]^a[B]^b}$$

$Q > K$: Form Reactants

$Q < K$: Form Products

$Q = K$: Equilibrium

Degree of Dissociation ($0 < \alpha < 1$)

Fraction of initial molecules that are converted at eqm.

Case I : $aA \rightleftharpoons bB$

If Initial moles = 2

n (Eq.) 2-ax bx

Degree of diss. $\alpha = ax/2$

Case II : $aA + bB \rightleftharpoons cC + dD$ If Initial A=3 ; B=2

n (Eq.) 3-ax 2-bx

cx

dx

DOD (α_A) = $ax/3$

Relation between Standard Gibbs Free Energy and K

$$\Delta G^\circ = -2.303RT \log K = -RT \ln K$$

$$\Delta G^\circ < 0$$

$$K > 1$$

Spontaneous Reaction

$$\Delta G^\circ > 0$$

$$K < 1$$

Non-Spontaneous Reaction

$$\Delta G^\circ = 0$$

$$K = 1$$

Equilibrium

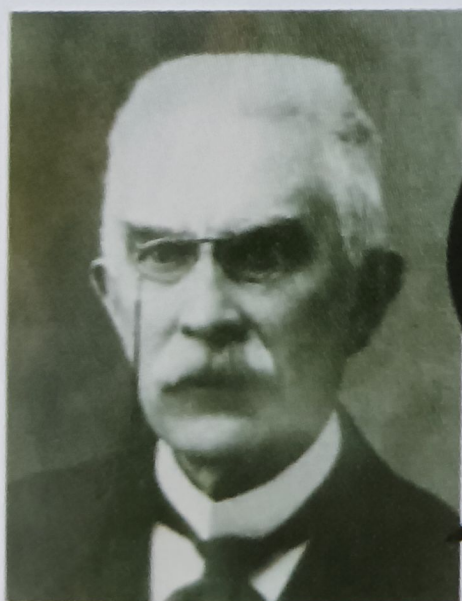
Le-Chatlier's Principle

When a simple system in equilibrium is subjected to a change in Conc., T, V, or P.

(1) the system changes to a new equilibrium

(2) this change partly counteracts the applied change.

Concentration	\uparrow Reactants - Forward Reaction \uparrow Products - Backward Reaction
Temperature	Endothermic : \uparrow Temp - Forward Exothermic : \uparrow Temp - Backward
Catalyst	BORRINGGG....NO EFFECT
Pressure	\uparrow Pressure : Towards Lower moles \downarrow Pressure : Towards Higher moles
Inert Gas	At Constant P, Towards Higher Moles At Constant V, NO Effect



Are you Getting
my point?

Henry Louis Le
Chatelier

